

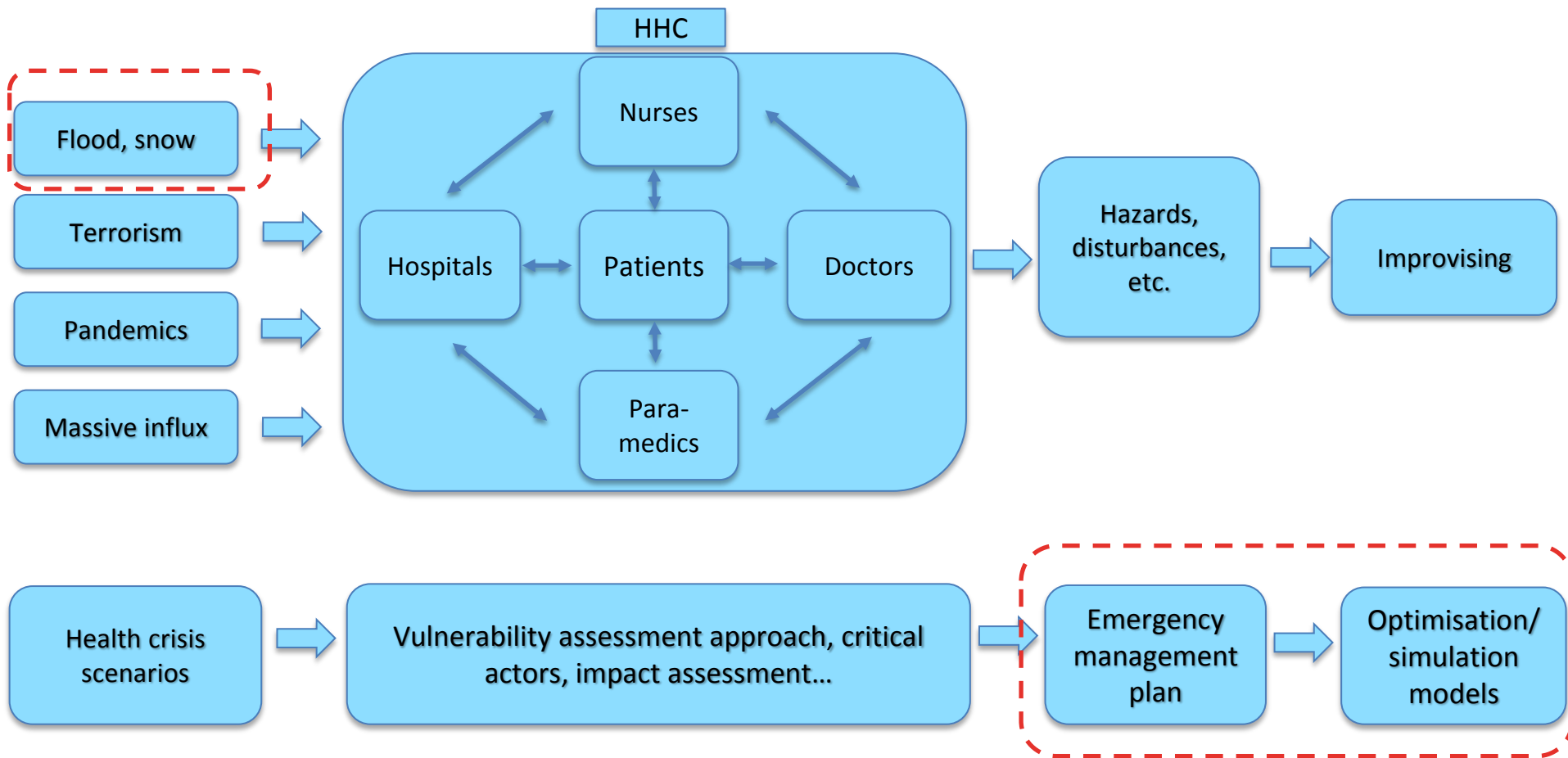
“A mitigation tool to protect a home health care structure facing a hydrological disaster”

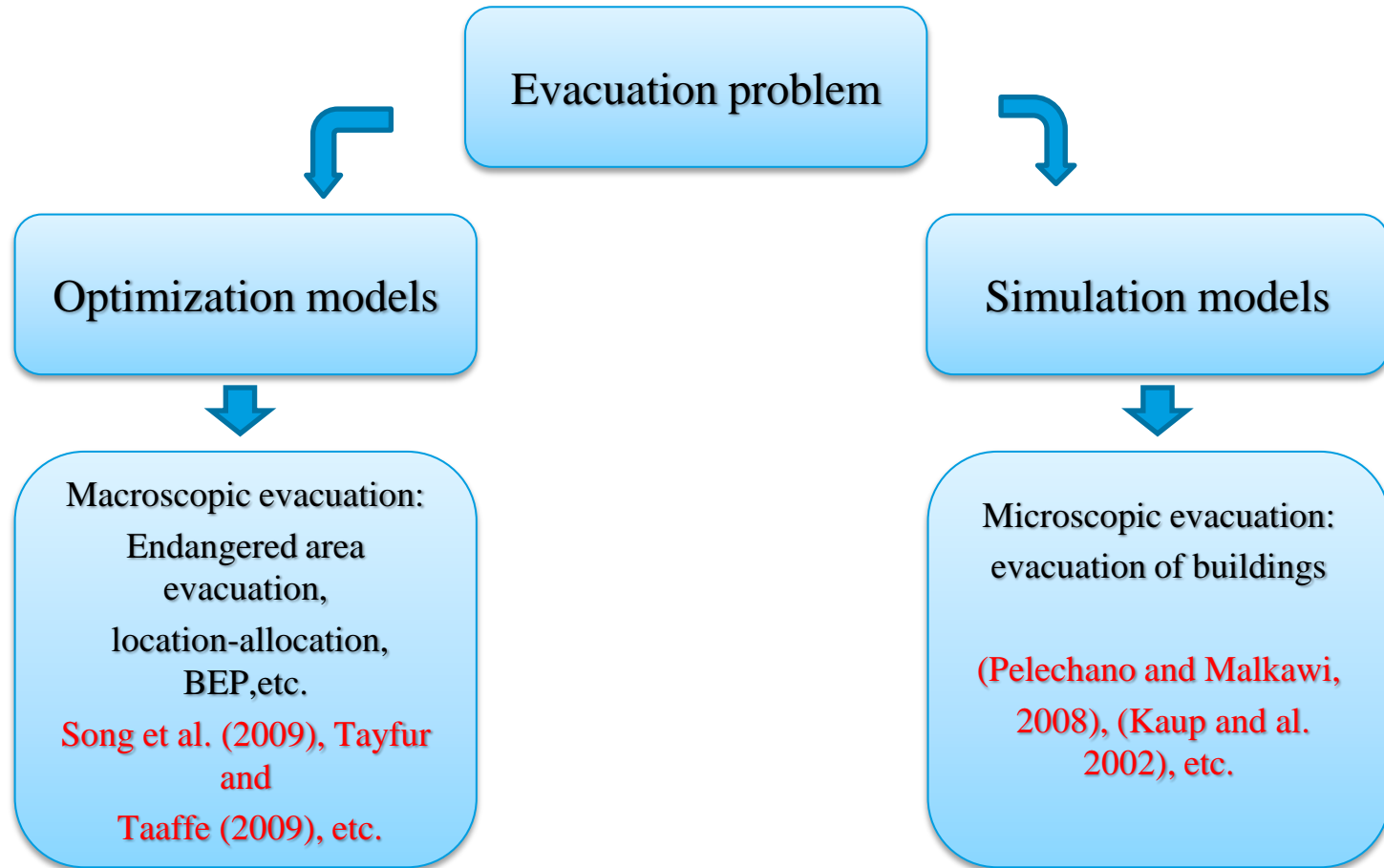


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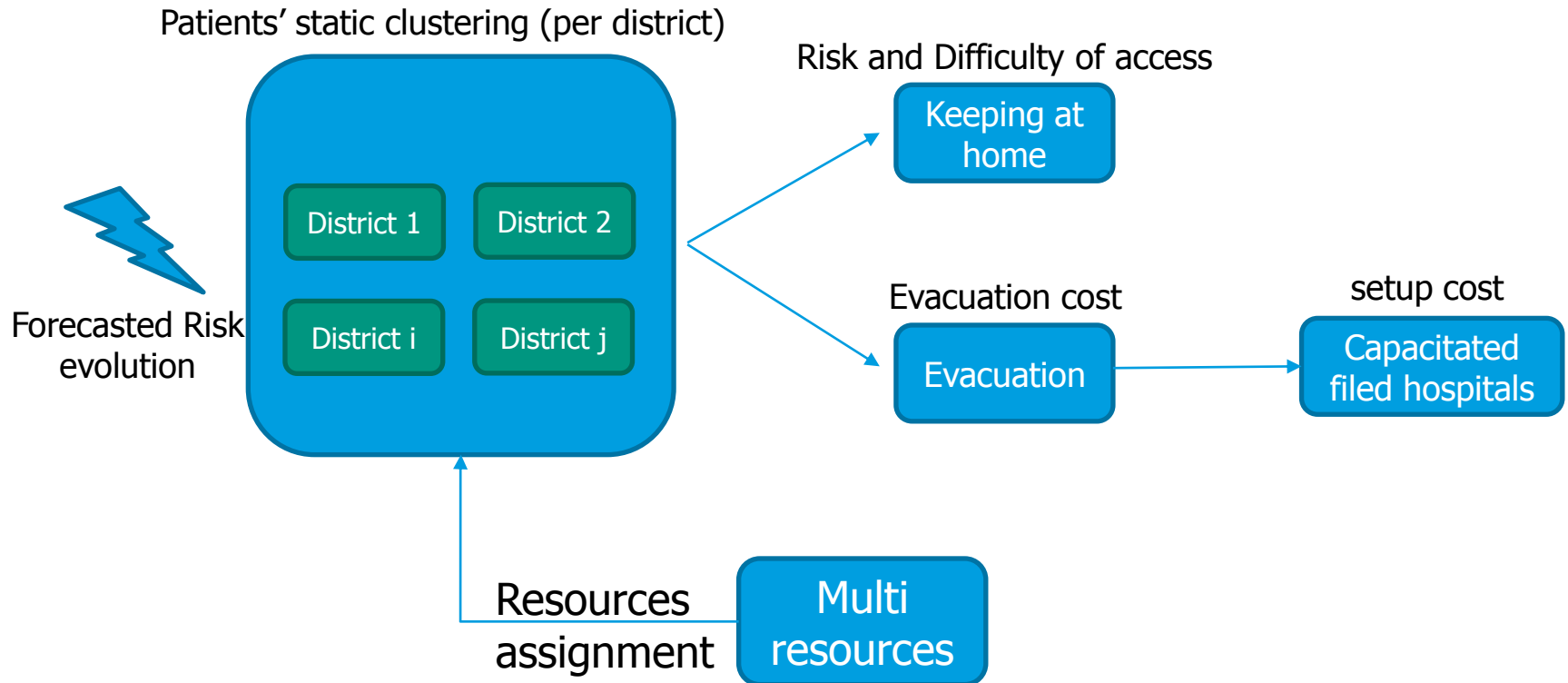
- Context
- State of the art
- Mitigation model
- Prospects





→ the optimization models are the most suitable when considering evacuation problem with resource distribution.

- Our model is based on a real life scenario which has been defined with our partner: Soins et Santé. Therefore the model is well suited to the Home Health care practices.
- The improvement methods that we propose can be easily applied in the field.
- Our attention is focused on the patient evacuation and resource assignment.



■ Data:

- M : number of areas,
- T : number of studied periods,
- N : number of type of resources (doctors, nurses, etc.),
- $K(i)$: number of resources of type i ,
- $Cap(h, i)$: capacity of resource h of type i per period,
- $Wei(j)$: number of patients per area j ,
- $Evol(i, j, p)$: evolution rate for the accessibility of area j for the resource i on period p ,

- Forecasted crisis modelling ($E_{vol}(i,j,p)$):

Period/ District	24 Jan	25 Jan	26 Jan	27 Jan	28 Jan	29 Jan	30 Jan	31 Jan	1 Feb	2 Feb
Area 1	0	0	0	0	0	0	0	1	-1	0
Area 2	0	0	0	0	1	1	1	1	-1	-1
Area 3	0	0	0	0	0	0	1	1	-1	-1
Area 4	0	0	0	0	0	0	0	0	0	0
Area 5	1	1	1	1	1	1	1	1	-1	-1
Area 6	0	0	0	0	0	0	1	1	-1	-1
Area 7	0	0	0	1	1	1	1	1	-1	-1

- Number of patients per area ($W_{ei}(j)$):

Area/district	Area 1	Area 2	Area 3	Area 4	Area 5	Area 6	Area 7
Number of patients	10	30	20	40	20	30	10

■ Data:

- Homecost (h,i,j) : employment cost of one resource h of type i , for the area j ,
- Evacost: evacuation cost of one patient to a hospital,
- HV: High value (999,999).

■ Decision variables:

- Acces (i,j,p) : real variable, accessibility of area j using a resource of type i (i.e. liberal nurse or salaried nurse) during the period p ,
- $X(h,i,j,p)$: integer variable, quantity of resource h of type i used in area j during the period p ,
- $Y(j,p)$: binary variable, it is equal to 1 if the area j is evacuated during the period p , 0 otherwise.

■ Objective function:

$$\text{Minimiser } (Z) = \sum_{i=1}^N \sum_{h=1}^{K(i)} \sum_{j=1}^M \sum_{p=1}^T (X(h, i, j, p) * \text{Homecost}(h, i, j)) + \sum_{j=1}^M \sum_{p=1}^T (Y(j, p) * \text{Wei}(j) * (\text{Hospcost} * (T - p + 1) + \text{Evacost})) \quad (1)$$

➔ We seek to minimize on one hand the visiting costs of patients in non-evacuated areas, and on the other hand the evacuation and hospitalization costs of patients in evacuated areas.

■ Constraints:

■ $Acces(i, j, 1) = 1 \quad \forall i, \forall j \quad (2)$

■ $Acces(i, j, p + 1) = Acces(i, j, p) + Evol(i, j, p) \quad \forall i, \forall j, \forall p < T \quad (3)$

■ $\sum_{p=1}^T Y(j, p) \leq 1 \quad \forall j = 1, \dots, M \quad (4)$

■ $\sum_{h=1}^{K(i)} X(h, i, j, p) \geq Wei(j) * Acces(i, j, p) - \left(\sum_{q=1}^p Y(j, q) \right) * HV \quad \forall i, \forall j, \forall p \quad (5)$

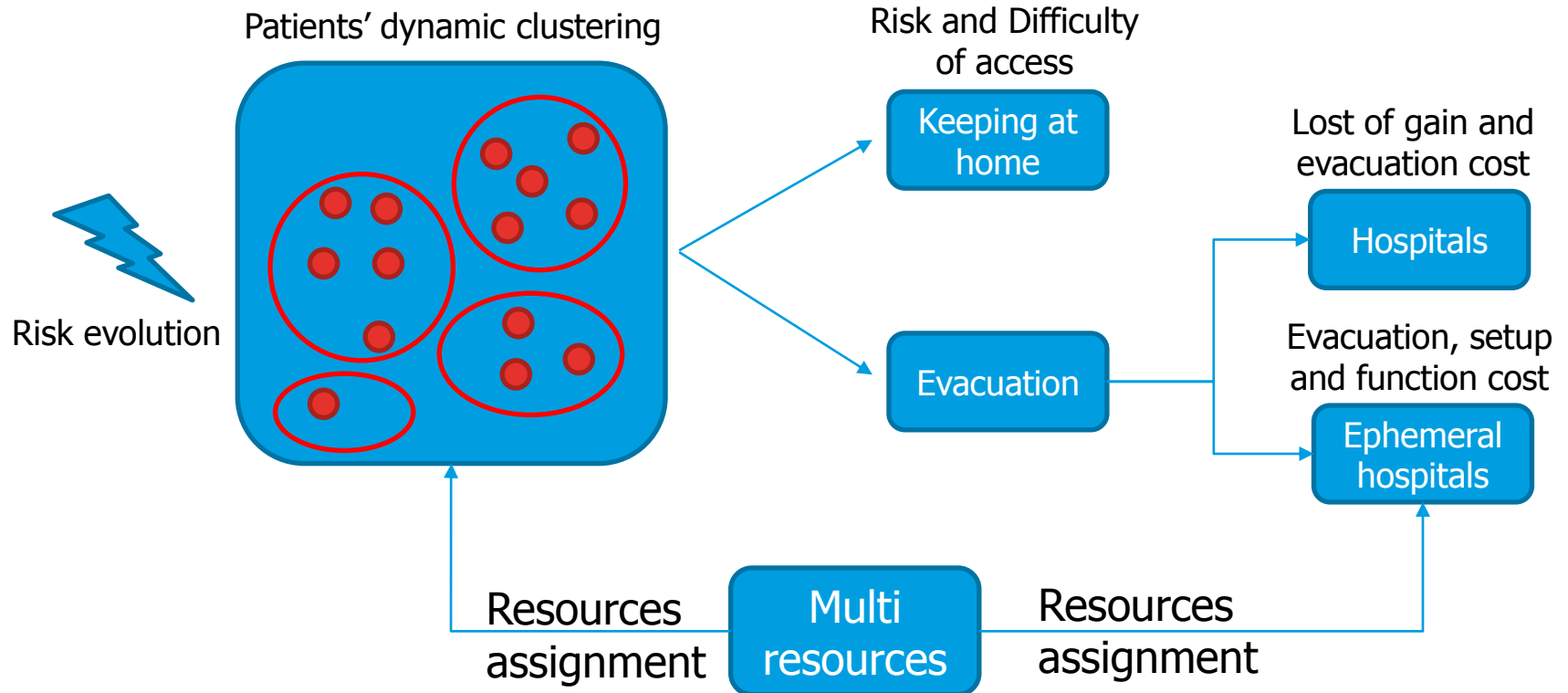
■ $\sum_{j=1}^M X(h, i, j, p) \leq Cap(h, i) \quad \forall i, \forall h, \forall p \quad (6)$

■ $\sum_{j=1}^M \sum_{p=1}^T Y(j, p) * Wei(j) \leq NBeds \quad (7)$

■ Results (Cplex 12.6.2)

Period	23 Jan	24 Jan	25 Jan	26 Jan	27 Jan	28 Jan	29 Jan	30 Jan	31 Jan	1 Feb
Area 1	10	10	10	10	10	10	10	10	20	10
Area 2	30	30	30	30	30	60	90	120	150	120
Area 3	20	20	20	20	20	20	20	40	60	40
Area 4	40	40	40	40	40	40	40	40	40	40
Area 5	20	40	60	80	100	120	0	0	0	0
Area 6	30	30	30	30	30	30	30	60	90	60
Area 7	10	10	10	10	20	30	40	50	60	50
Total	160	180	200	220	250	310	230	320	420	320

- Solution cost: 202 200 €
- Home care cost: 160 200 €
- Evacuation cost: 32 000 €



➔ Dynamic Partitioning Problem combined with an assignment problem

Thank you!

Do you have any questions?